Exercise 1

- 1. A 1 GeV/c electron beam hits a proton target. Calculate: (2 points)
 - (a) The velocity of the CMS
 - (b) The momentum of the proton in the CMS
 - (c) The available energy
- 2. Find the names, masses, quark content, dominant decay channel and spectroscopic notation $(^{2S+1}L_J)$ for the following N=1 mesons containing only light (u,d,s) quarks: (Hint: Check PDG book(let) for decays; Find all mesons if there is more than one! Remark: C parity (in J^{PC}) is not needed or not defined, thus I removed it from the exercise) (3 po
 - (3 points)

- (a) $J^P = 1^-$, I=1, positive charge
- (b) $J^P = 0^-$, I=1/2, uncharged
- (c) $J^P = 0^-, I = 0$

Homework

- Explain in your own words an experiment, with which you can measure the form factor of a proton. What beam and target do you use? Where do you place your detector? What exactly do you measure and on which varying variables is it depending on? (3 points)
- 2. Explain in detail and in your own words two methods for measuring the magnetic moment of an hyperon. (2 points)

Julian Beymann high hadron physics Exercise 1 NON , 16ev- 51714 , 0,0) a # 25 00 pt =, 0, 0, 0) Pat 160 1 965 Met 24 Pin = Patpin <u>pc2</u> 969 <u>re</u> c* H= **3** 0,57 (4, +9) b) Pp, Lab = (938 1, 0, 0, 0) , Pr, cms = L", L" = (0, 0, 0) 5= fi- B2 1/2 = 1, 163 V =) $P_{p,cMS} = \begin{pmatrix} 938 & 11 \\ 938 & 11 \\ 38 & 0 \\ 0 &$ = (\$ 1,0961, -556 m nev eg =) \$ V, = (-556 mer, 0, 0) V () nuailable Energie : in a) calculated : D=me = 1937AU ntmo

higer hadron physics Exercise 1 Julian Bergmann Nor c) - n#, m= 547,8 meV ((uit+dd) + c2(55) V A show n-2y (39,3%) Spectr. not. : (0) 250 (V) - N'(958) m= 957,6 MeV (n + d d) + cz(s5) n'-) TT + TT n (44,6%) / Spatr not: (190) f n'(1295), m: min 1294 Mel 01 } h'-) sta NTT+T- (15) a) - 5t(1450) not N=1465 Mer, the ud S-) Π Π (seen) + (30) 35N f st(1700), m=17200 Mil , ud } g = 2(π⁺π⁻) 32 - 0,25 b) $-k^{\circ}$, m = 497 Mel, $d\bar{s}$ \bar{k}° , m = 497 Mel, $d\bar{s}$ \bar{k}° , $\bar{k$ 20/3

Higher hadron physics

Exercise 1

Julian Bergmans

My 3 prep) elssile Electrona Scattering on protons / hydrogen-lon ($\#^{+}$)? You are scattering an electron beam on a thin protontargt with a certain beam express but different solid angles. in which the detector is part. This way you can measure the cross-section with different 191. As $(\frac{d\sigma}{dx})_{exp} = (\frac{d\sigma}{ds^{+}})_{mott}^{*} |F(q)|^{2}$, you can divide the measure through the challenge is $(\frac{d\sigma}{ds^{+}})_{mott}^{*}$ if $(q)|^{2}$, you can divide the measure through the challenge is $(\frac{d\sigma}{ds^{+}})_{mott}^{*}$ if $(q)|^{2}$, you can divide the measure through the challenge of the proton's forma factor. This shows that the depending variables are the electron beam's energy and the solid angle of the detector. ion can calculate the $|F(q^{2})|^{2}$ -faktor with the Rosen bluth-Formula $\frac{G^{2}(\alpha^{2}) + r G^{2}(\alpha^{2})}{n+r} + 2r \cdot G^{2}(\alpha^{2}) \tan^{2}(\frac{\alpha}{2})$

What is a thin proten taget fa H+ Jans?? 3

Righer hadron physics Exercise 1 Julian, Bergman Mr 4 The first method is using Primakoff's effect with the dominant decay mode of the Z' hyperon : V Azy 20 with Z as the atamic number So as E' is primarily produced with little transverse momentum, measurement of cross-section leads to the determination of its real transition moment. As the spin precesses around the magnetic field, As the spin precession approach" is another method of the "spin precession approach" is another method of determining the magnetic moment of \overline{z}° . Ms The procession angle for uncha-ged hyperons is calculated with $\phi = \frac{2m}{p} \int Bdl$, with μ as **Manufactures**. speed of field Using the hyperon # decay we are able toget the field orientation by observing the process and afterwards, after the calculating & with that, setting M. $\left(2/2\right)$

MP-01, WS 12/13, 8.11.2011

Exercises 2.1&2.2 / Homework 2.3&2.4

1. A η meson undergoes a Dalitz decay into $e^+e^-\gamma$. Consider the special case that both the electron and positron get the same kinetic energy.	(2 points)
(a) Consider the η beeing at rest and the gamma having a momentum of 200 MeV/c . How large is the opening angle between the electron and position?	
(b) Calculate the invariant mass of the electron-positron pair.	
2. Explain (in your own words) Vector Meson Dominance.	(2 points)
(a) Where does it play a role?	
(b) What particles are (or can be) involved?	
(c) Sketch a feynmann graph to support your arguments.	
3. What are the main differences (in terms of physics) in doing DIS with neutrinos compared to electrons?	(2 points)
4. In deep-inelastic scattering (DIS) a proton beam of 800 GeV energy col- lides with an electron beam of 25 GeV energy. You might use reasonable assumptions and simplifications in the following calculations.	(6 points)
(a) What CM energy does this correspond to?	
(b) What electron energy would a you need for the same reaction on a fixed proton target?	
(c) What is the "spatial" resolution you have on the proton?	
(d) In what kinematics do you have the maximum Q^2 and how large is it?	
(e) What is measured in Bjorken x?	

(f) What is Bjorken scaling? What do you learn from scaling violations?

Julian Dayman Exercise 2 higher hadron physiks $E(e^{+}) = E(e^{-}) = M(n) - T(y) = 547.8 M.U - 200 M.U - alter$ a) Johne e EM 173,990,0, 173,38, Mir) glet= 173,9 0, 0, gen (et) 8= M = 17 (200 3) 200 3) -340,3 2 = fr- B2)-(=) 3= 340,3 1 3=0,989935 9 = 1 9 = (340, 3- 173, 9 - 0, 959 99 6.3403 10, 0, 1773, 389 7773, 389 | Pet + Pe-)= pet + pe + 2 cos(0) Verlipet 12:201=) E(et) = Per/ $(\vec{p}_{e} + + \vec{p}_{e})^{2} = (P_{e} + x + P_{e} + x)^{2} + (P_{e} + x + P_{e} + y) + (P_{e} + y) + (P_{e} + x + P_{e} +$ 2-Bi la Ward sps 109,560 A = Q(e+) = (173,389 mel, & Pxi+ Py, 0) 5) $\left(9_{L_{s}}(e^{+}) + 9_{L_{s}}(e^{-}) \right)^{2} = \left((1 \neq 3,389) \frac{1}{c} \right)^{2} - \left(\frac{1}{2}(e^{+}+e^{-})^{2} - \frac{1}{2}(e^{-}-e^{-})^{2} \right)^{2} - \left(\frac{1}{2}(e^{+}+e^{-})^{2} - \frac{1}{2}(e^{-}-e^{-})^{2} \right)^{2} - \left(\frac{1}{2}(e^{-}+e^{-})^{2} - \frac{1}{2}(e^{-}+e^{-})^{2} - \frac{1}{2}(e^{-}+e^{-})^{2} \right)^{2} - \left(\frac{1}{2}(e^{-}+e^{-})^{2} - \frac{1}{2}(e^{-}+e^{-})^{2} \right)^{2} - \left(\frac{1}{2}(e^{-}+e^{-})^{2} - \frac{1}{2}(e^{-}+e^{-})^{2} - \frac{1}{2}(e^{-}+e^{-})^{2} \right)^{2} - \left(\frac{1}{2}(e^{-}+e^{-})^{2} - \frac{1}{2}(e^{-}+e^{-})^{2} - \frac{1}{2}(e^{-}+e^{-})^{2} - \frac{1}{2}(e^{-}+e^{-})^{2} - \frac{1}{2}(e^{-}+e^{-})^{2} - \frac{1}{2}(e^{-}+e^{-})^{2} - \frac{1}{2}(e^{-}+e^$

Julian Bergman Exarcise Z higher hadron physics Nor It plays avoid for time - like form tactors (e.g. Balitz decity) entracement of Also important to explain cross-section for ete > TITT (Peak for graph invasiant Mass against cross-section at En 770 her) V 0) this 10 100 explaination () The 3 KT (intermediate vector nesars) additional to 6) photon has plant, so only vector-mesons (22

higher hadron physics

Evereige 2 Dulian Bergmann

Ny?

Neutrinos de much less (no) freak and or electromagnetic interaction thus electrons. Also the average way of flight without collisions is labo due to the first point) much longer. Regarding deep inclastic scattering, electrons can interact with every quark with electromagnetic interaction (wt transfer) so they are using weak interaction (wt transfer) so they are only responsive to d. u-, s-, c-quarks (or consterparts regarding anti-mentrinos). Because of transversal momentum transfer there and parity violation of neutrinos weak interaction there is an addition of neutrino for neutrino-DIP in contest to elektron-PIS,

flavour selectivity

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Higher hadron physics Homework 2 Julian Bergmann No 4 -) 9ec = (25 Gel, 0, 0, -25 Gel (San well) = (25 Gel, 0, 0, 25 Gev) 9 = (800 Get, 0, 0, ((800 Get)-(938 mey)) = (800 4, 0, 0, 800 Get) 5 = (qe1+qp)²c²= (825 4t)² - (775, Mar Gev)² = 80000 GeV2 same reaction (=) same (Maenergy = 1) (Fixed tong.) 6) $S = (q_{el} + q_{p})^{c} c^{*} = (E_{el} + E_{p})^{2} - f(E_{el} - m_{el}) + (E_{p} - m_{p}))$ = En + Er + 2 En Ep - Kallan For Allan, allander top ElEL-2Eermer+mer) = + Contraction - Ext 2 ELEpt 2 Eamer - mer Eer = Stat - Extmats fixed proton target : Examp # Harry =) E_{el} = <u>80000</u> Gev² + (517 Kev)² - (938A.v)² = 92620 2.(938 Mer 4)(517541 Kev)² = **42620** 42.67.00 42.67.00 $\Delta x \propto \frac{\pi}{Q} / Q^2 = Z E_{e_1} E_p (1 - \cos(nt)) / C^2$ 42,6 TeV c)In case of highest Q' elastic saattering with v=180° with full energy-transfer, the Equation Q'= 3 is valid. =) $\Delta x = \frac{4}{\sqrt{57}} = 2,306 \cdot 10^{-27} \text{ s.c.} = 6,974 \cdot 10^{-19} \text{ m} = 6,974 \cdot 10^{-4} \text{ fm}$ (tropans) AY THE d) If the electron is scattered back at += 180° elastically and got the full energy of the proton, Q' can be calculated with Q'= 52. In this case that means : an = 80000 Gel2 e) The Corentzinkariant bjørken x is an indicator in deep inelastic scattering how inclastic the total process of sattering is. For an elastic process x is exactly 1 while otherwise it is between 0 and 1. (OCXED) It also indicates that hadrons behave like a collection of point like particles at highenergy seatturing. No f) Bjorten saling refers to the model where stron interacting particlets and beliquing like collections of point like particles in high energy scattering. This destends to the relation that form faktors with the same bjorken-x are independent of all of the proton (my) The observation of this leads to the pointbike substruct. of the proton (my)

Glaling Violateins? 1, 2ª 2.2.3.) (2) Same Catter anangy - 1. Seiter tory. = (Easting) - here - will) + (Ep - mp) The second second with the second second

Exercises 3/ Homework 3

See the PDG for properties of crystals, gases and formulas.

1.	. Gamma detection is done by means of electromagnetic calorimeters. They are build out of different type of scintillating crystals. Two materials which are used are barium-fluoride BaF_2 and lead-tungstate $PbWO_4$. In the following, a crystal length of $30 cm BaF_2$ and $20 cm PbWO_4$ is assumed		
	(a)	From the radiation length of the crystals, calculate the fraction of energy a $500 MeV$ and $1 GeV$ gamma deposit in the crystal.	(2 points)
	(b)	How large is the propability of the same photons to pass the crystal without starting an electromagnetic shower?	(1 points)
	(c)	How many electron/positrons (order) are created in every shower?	(1 points)
	(d)	What optimal lateral size of the crystals would you suggest for an experiment where position resolution is needed? Give a good reason	
		for your answere.	(1 points)
2.	Mos form	t detector types depend on energy loss described by the Bethe-Bloch nula.	
	(a)	Estimate the total energy loss for charged particles (protons, pions, muons) with $\beta \gamma = 3$ and the same particles with a momentum of 3 GeV/c in the STAR drift chamber, assuming the particles traverse the chamber 90° to the beam direction. Assume further that the bending in the field can be neglected.	(3 points)
	(b)	For the three particles above, calculate the bending radius in the magnetic field (with $\beta \gamma = 3$ and with fixed momentum).	(2 points)
	(c)	What can you conclude from the above result in terms of particle identification?	(1 points)
Gas:10%/90% of CH_4/Ar at normal atmosphere; size: outer/inner diameter 4m/1m; magnetic field: 0.5 T			

higher hadron physics Ex/403 Julian Bergmann Ma 1 a) $x_s = \frac{x_o}{b}$ with x_s as shower length (mean, max?) and x_o as variation length. $x_{o,ReF_2} = 2,03 \text{ cm}$, $x_{o,Pbwog} = 0,87$ cm needed b for transmission of the crystal lengths $L = x_s + l_{BaF_2} = 30 \text{ cm}$ Lpbwog = 20 cm

6)

$$b \stackrel{>}{=} \frac{x_0}{c}$$
: $b_{min}, B_n F_2 = \frac{2,03 \text{ sm}}{30 \text{ sm}} = 0,068$

As you can see in POG p. 267 Fig 23,19 b is relatively energy independent and for most matrials around 0,5 but never under or near 0,07. This leads to the deduction that there won't be any transmission neither at 500 MeV nor at 16eV.

In empiric statistics the probability that a particle went through the crystal without collisions is measured by deviding the count of uncollided particles by the total amount of particles that were sent through the crystal. As photons are traveling with the same speed all the time, the amount of particles is proportional to the intensity of a photobeam. So, with the formular of intensity lost is $1(x) = |oexp(-\frac{x}{x})|$

the probability of a single photon travelling uncollided through the crystal is equal to exp(- c/x_).

=) $P(X_{0,B_{n}F_{2}}=2,03cm, L_{B_{n}F_{2}}=30cm) = 3,8\cdot n0^{-7}$ $P(X_{0,PbW0_{q}}=0,87cm, L_{PbW0_{q}}=20cm) = 1,74\cdot n0^{-10}$

As the particle shower is caused by the pair production process where the energy of the poton is used to create electrons and positrons, their mass energy must be at the least delivered (1922 MiV). However this would only lead to not moving purticles, which is clearly not the case in a shower. So, using the energy loss formular $\frac{dE}{dx} = -\frac{E}{X_1}$ for charged particles one could assume the cinetic energy of those particles around A MeV which would still lead to atotal amount of ca. 250 electrons and 250 positrons at 500 MeV beam energy (ar 500 at 1600). In a consecutive shower

honover, when the produced charged particles may again they do not and form a new photon, there is much less energy available. So for every process where there is enough energy left after brend bremsstrahlung and ionization absorbed enorgy, there ist most stralles likely only one electron-positron pair produced por photon. 2 (incident?, No!) 0

d) For position resolution it is important that as much of all electromagnetic showers as possible remain within the crystal. Therefore it is needed to know the latual shower size. The transverse spread of an electromagnetic cascade is characterized by the Molicre radius which is given with good approximation by

 $R_{M} = \frac{2A}{E_{c}(MeV)} X_{0}$

On average only 5% of shower energy transpasses the crystal laterally with a crystal-cylinder of radius 2Rm. Xo is the radiation length here, which is given for a specific medium (B.F.: 2,03cm, PbWOg: 0,89cm). Ec is the critical energy where the rates of energy loss due to bremsstrahling and ionization are equal and is siven by

 $E_c = \frac{350}{2} MeV$

the matter of the gallon is used and

where the second of all front the sale of the second of the

for Z>12 by good approximation. Concluding this I would suggest a cylinder of

2 Rm, BaF, = 2 13,12 cm = 6,24 cm NO

2 Km, 16 10 = 2. 1,96 cm = 3,92 cm radius to use to have 95% of all em cascades remaining within the crystal.

C+d Noch

higher hadron physics Holex 3 Julian Bergmann

$$M = 2$$
a) $\left(e \frac{dE}{dx} \ge l(x^2 - \frac{2}{dx} - \frac{1}{p^2} \left(\frac{1}{2} \left(a \left(\frac{2mel}{1} e^{l} \frac{d}{p_1} \frac{d}{p_2} - \frac{1}{p_1} - \frac{1}{p_2} \frac{d}{p_2} \frac{d}{p_2} \right) \right) \right)$

$$T_{max} = \frac{2med}{p_1} e^{l} \frac{2}{p_1} \left(\frac{1}{p_2} \left(\frac{2mel}{1} e^{l} \frac{d}{p_2} \frac{d}{p_2} + \frac{1}{p_2} - \frac{1}{p_2} \frac{d}{p_2} \frac{d}{p_2} \right) \right)$$

$$T_{max} = \frac{2med}{p_1} e^{l} \frac{2}{p_2} \left(\frac{1}{p_2} \left(\frac{2mel}{1} e^{l} \frac{d}{p_2} \frac{d}{p_2} + \frac{1}{p_2} e^{l} \frac{d}{p_2} \frac{d}{p_2} \right) \right)$$

$$T_{max} = \frac{2med}{p_1} e^{l} \frac{2}{p_2} \left(\frac{1}{p_2} \left(\frac{2mel}{1} e^{l} \frac{d}{p_2} \frac{d}{p_2} \frac{d}{p_2} + \frac{1}{p_2} \frac{d}{p_2} \frac{d}{p_2} \right) \right)$$

$$T_{max} = \frac{2med}{p_1} e^{l} \frac{2}{p_2} \left(\frac{1}{p_2} \left(\frac{2mel}{1} e^{l} \frac{d}{p_2} \frac{d}{p_2} \frac{d}{p_2} \right) \right)$$

$$T_{max} = \frac{2med}{p_1} e^{l} \frac{2med}{p_2} e^{l} \frac{d}{p_2} \left(\frac{1}{p_2} \left(\frac{mel}{p_2} \frac{d}{p_2} \frac{d}{p_2} \right) \right)$$

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$$T_{max} = \frac{2med}{p_2} e^{l} \frac{d}{p_2} \left(\frac{1}{p_2} \frac{d}{p_2} \frac{d}{p_2} \right)$$

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$$T_{max} = \frac{2med}{p_2} e^{l} \frac{d}{p_2} \left(\frac{1}{p_2} \frac{d}{p_2} \frac{d}{p_$$

beam enersy los 500 at

As shown in a) we can easily differentiate between those particles through energy loss when theoping the C) same momentum while in b) we can do this with Runder the bending radius in the electromogretic field by beeping By constant. The bending direction in the magnetic field is also different for particle and ant: particle. E.g. p is moved into opposite direction 45 TT and same as TT+. TO isn't bend in the magnetic field attall. The same goes also for ma non NO 27? the gray as findly considerat at any the Car Mit yan do it? they are and I are in going brocklass form a little when the course

Exercises 4/ Homework 4

- 1. For high energy experiments, it is convinient to measure particles momenta in terms of rapidity, defined as $y = \frac{1}{2} \ln \frac{E+p_L}{E-p_L}$. In most cases, it is experimentally less challenging to use the pseudo-rapidity $\eta = -\ln \tan \frac{\vartheta}{2}$.
- (a) Explain why it is "easier" to measure the the pseudo-rapidity compared to the rapidity in an high energy experiment. (1 points)
 (b) One feature of rapidities is, that they can be added up (as long as the reference axis is the same). Prove that a particle, which has rapidity a in the CM frame traveling at rapidity b in lab frame, travels with rapidity c = a + b in the lab frame. (2 points)
 (c) Compare y and η for protons, (charged) kaons and (charged) pions of 2GeV/c momentum for η = 1, 2 and 5. (2 points)
 (d) Prove that η = y for large momenta. (2 points)

Homework:

1. Under the assumption of no mixing with other pseudoscalar state, for $|\eta\rangle$ and $|\eta'\rangle$ states the following is required:

$$X_{\eta}^{2} + Y_{\eta}^{2} = X_{\eta'}^{2} + Y_{\eta'}^{2} = 1$$

From that, derive these two formulas:

$$X_{\eta} = Y_{\eta'} = \sqrt{\frac{1}{3}} \cos \theta_p - \sqrt{\frac{2}{3}} \sin \theta_p$$
$$Y_{\eta} = -X_{\eta'} = -\sqrt{\frac{2}{3}} \cos \theta_p - \sqrt{\frac{1}{3}} \sin \theta_p$$
(3 points)

No

Julium Bergmann

a) For measurement of rapidity y it is necessary to measure Energy an tongitudinal momentum of the particle while in pseudo-rapidity it is only required to get the angle on which the particle was detected regarding a CM-System / reference axis.

b) of the Nor $\left(t_{cm}=b=\frac{2}{2}\left(n\left(\frac{E+\rho_{c}}{E-\rho_{c}}\right) \in e^{2b}=\frac{E+\rho_{c}}{E-\rho_{c}} \in e^{2b}(E-\rho_{c})=E+\rho_{c}\right)$ (i) $e^{2b}E - E = p_c$ =) $\beta = \frac{e^{2b} - 7}{e^{2b} - 7} = \frac{p_c}{E}$

9 = (= (=) (y 00 + By) 2 = (E # y + P_L By, PL, (PL, EBy + P_L B) tony. E (=) (y 0 - 0) -) (MS in Z - Richty.

Teillen Inlab: $\gamma = \frac{1}{2} ln \left(\frac{E_y + p_c p_y}{E_y + p_c p_y} - E p_y - p_c y \right)$ $= \frac{1}{2} l_n \left(\frac{E + p_i \beta + E \beta + p_i}{E + p_i \beta - E \beta - p_i} \right)$

 $=\frac{1}{2}l_{n}\left(\frac{(n+p)(E+p_{n})}{(n-p)(E+p_{n})}\right)=4/4/4$ $(n-p)E+(p-n)p_{1}=(n-p)(E-p_{n})$ =1/2The Judizes ... $= \frac{1}{2} \left(n \left(\frac{(n+\beta)(E+\mu)}{(1-\beta)(E-\mu)} \right) \right)$

 $=\frac{1}{2}\left(n\left(\frac{E+p_{i}}{E-p_{i}}\right)+\frac{1}{2}\left(n\left(\frac{1+p_{i}}{1-p_{i}}\right)-\frac{1}{2}\left(n\left(\frac{E+p_{i}}{E-p_{i}}\right)+\frac{1}{2}\ln\left(\frac{E+p_{i}}{E-p_{i}}\right)\right)\right)$ Teilchen V in (M Teilden in CM

= y = C Teildus in lab

E= Jp2+m21 =p2+m =) $t_{cm}(-v) = \frac{p_{t}}{p_{t}} = \frac{\sqrt{p_{t}^{2} - p^{2}}}{p_{t}}$ $= \sqrt{p_{t}} = \frac{\sqrt{p_{t}^{2} - p^{2}}}{p_{t}}$

higher hadron physics
$$E_X/H_0$$
 4 Julian Baymann
Mart
() $E^2 e_p^2 + m^3$ $\Rightarrow E = \sqrt{p^2 + m^2}$
 $e^2 = 2a + c \tan (e^{-\alpha})$
 $f_{\alpha \alpha}(\alpha) = \frac{r}{R_c} = \frac{\sqrt{p^2 + R^2}}{R_c}$ $\Rightarrow P_c = t + n^{-1}(\alpha) + \sqrt{p^2 - R^2}$
 $\Rightarrow P_c^1 = t + m^2(\alpha) + \sqrt{p^2 - R^2}$ $\Rightarrow P_c = t + n^{-1}(\alpha) + \sqrt{p^2 - R^2}$
 $\Rightarrow P_c^1 (t + \frac{\pi}{t + n^2}(\alpha)) = \frac{e^2}{t + a_{\alpha}^2(\alpha)}$ $\Rightarrow P_c = \frac{r}{t + a_{\alpha}^2(\alpha)}$
 $\Rightarrow P_c^1 (t + \frac{\pi}{t + n^2}(\alpha)) = \frac{e^2}{t + a_{\alpha}^2(\alpha)}$ $\Rightarrow P_c = \frac{r}{t + a_{\alpha}^2(\alpha)}$
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 $= P_c^1 (t + \frac{\pi}{t + n^2}(\alpha)) = \frac{e^2}{t + a_{\alpha}^2(\alpha)}$ $\Rightarrow P_c = \frac{r}{t + a_{\alpha}^2(\alpha)}$
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 $= \frac{r}{t + 2a^2} p^2 (t + n^2(\alpha) + 1)^{-1} \Rightarrow P_c = \frac{r}{t + a_{\alpha}^2(\alpha)}$
 $= \frac{r}{t + 2a^2} p^2 (t + n^2(\alpha) + 1)^{-1} \Rightarrow P_c = \frac{r}{t + a_{\alpha}^2(\alpha)} p^2 p^2 p^2$
 $= \frac{r}{t + 2a^2} p^2 (t + n^2(\alpha) + 1)^{-1} \Rightarrow P_c = \frac{r}{t + a_{\alpha}^2(\alpha)} p^2 p^2 p^2 p^2$
 $= -l_n \left(\frac{r}{t + a_{\alpha}(\alpha)} + \frac{r}{t + a_{\alpha}^2(\alpha)} p^2 (t + \frac{r}{t + a_{\alpha}^2(\alpha)} p^2) p^2 (t +$

P. (Gel) E(GeV) p(GeV) y 2 7,928 7,377 21 Z 2,23 P 2,705 5 1,9998 Z 2,06 K 0,995 7 7,523 2,0043 2 Π 5 V 1,9998 2,23 Z 1,455 P 1,523 0,949 1 2 2,06 K 13 7,928 1,968 2 2,0043 π

- 14

$$\begin{aligned} \text{higher hadron } p(Lyrills = Ex/H0.4 \quad \text{Julian Barganan} \\ \text{Homeworks} \\ \text{Homeworks} \\ \text{In} &= X_{n} \frac{1}{422} |u\bar{u} + d\bar{d} > 4Y_{n} | 5\bar{s} > \\ |n' > X_{n} \frac{1}{422} |u\bar{u} + d\bar{d} > 4Y_{n} | 5\bar{s} > \\ |n_{s} > \frac{1}{422} |u\bar{u} + d\bar{d} > 4Y_{n} | 5\bar{s} > \\ |n_{s} > \frac{1}{422} |u\bar{u} + d\bar{d} > 4Y_{n} | 5\bar{s} > \\ |n_{s} > \frac{1}{422} |u\bar{u} + d\bar{d} > 4Y_{n} | 5\bar{s} > \\ |n_{s} > \frac{1}{422} |u\bar{u} + d\bar{d} > 4Y_{n} | 5\bar{s} > \\ |n' > g(n) | n_{s} > \frac{1}{422} |u\bar{u} + d\bar{d} > 4Y_{n} | 5\bar{s} > \\ |n' > g(n) | n_{s} > \frac{1}{422} |u\bar{u} + d\bar{d} > 4Y_{n} | 5\bar{s} > \\ |n' > g(n) | n_{s} > \frac{1}{422} |u\bar{u} + d\bar{d} > 4Y_{n} | 5\bar{s} > \\ |n' > g(n) | n_{s} > \frac{1}{422} |u\bar{u} + d\bar{d} > 4Y_{n} | 5\bar{s} > \\ = \cos(\theta_{p}) \cdot \frac{1}{422} |u\bar{u} + d\bar{d} - 2s\bar{s} > -sin(\theta_{p}) \cdot \frac{1}{423} |u\bar{u} + d\bar{d} + s\bar{s} > \\ = (\cos(\theta_{p}) \cdot \frac{1}{422} |u\bar{u} + d\bar{d} - 2s\bar{s} > -sin(\theta_{p}) \cdot \frac{1}{423} |u\bar{u} + d\bar{d} + s\bar{s} > \\ = (\cos(\theta_{p}) \cdot \frac{1}{422} |u\bar{u} + d\bar{d} - 2s\bar{s} > -sin(\theta_{p}) \cdot \frac{1}{423} |u\bar{u} + d\bar{d} + s\bar{s} > \\ = (\cos(\theta_{p}) \cdot \frac{1}{422} |u\bar{u} + d\bar{d} - 2s\bar{s} > -sin(\theta_{p}) \cdot \frac{1}{423} |u\bar{u} + d\bar{d} + s\bar{s} > \\ = (\cos(\theta_{p}) \cdot \frac{1}{422} |u\bar{u} + d\bar{d} - 2s\bar{s} > sin(\theta_{p}) - \frac{1}{423} |u\bar{u} + d\bar{d} + s\bar{s} > \\ = (sin(\theta_{p}) \cdot \frac{1}{423} \cos(\theta_{p}) - \frac{1}{423} \sin(\theta_{p}) \\ X_{n} = \frac{1}{423} \cos(\theta_{p}) - \frac{1}{423} \sin(\theta_{p}) \\ X_{n} = \frac{1}{423} \cos(\theta_{p}) - \frac{1}{423} \sin(\theta_{p}) \\ = sin(\theta_{p}) \cdot \frac{1}{423} (sin(\theta_{p}) - \frac{1}{423} \sin(\theta_{p}) + \frac{1}{423} \sin(\theta_{p}) + \frac{1}{423} \sin(\theta_{p}) + \frac{1}{423} \sin(\theta_{p}) |\bar{h}_{p} > \\ = (sin(\theta_{p}) \cdot \frac{1}{423} (sin(\theta_{p}) + \frac{1}{423} \sin(\theta_{p}) - \frac{1}{423} |u\bar{u} + d\bar{d} + 1832) \\ = (sin(\theta_{p}) \cdot \frac{1}{423} (sin(\theta_{p}) + \frac{1}{433} \sin(\theta_{p}) = Y_{n} \\ Y_{n'} = -\sqrt{\frac{1}{33}} \sin(\theta_{p}) + \sqrt{\frac{1}{33}} \sin(\theta_{p}) = -Y_{n} \\ Y_{n'} = -\sqrt{\frac{1}{33}} \sin(\theta_{p}) + \sqrt{\frac{1}{433}} \cos(\theta_{p}) = X_{n} \\ \end{array}$$

Homework 5

- 1. Exotic quantum numbers: Prove that the quantum numbers 0^{+-} , 1^{-+} and 2^{+-} are not allowed for mesons (quark-antiquark). Hint: Start with the allowed cases for the spin and then, for a fixed spin, check the cases for J.
- (5 points)
- 2. Which of the following decays meson are allowed in <u>strong</u> interaction? Check the known rules (parity, isospin, ...) and state which are violated in the decay. (5)

 $(5 \ points)$

- (a) $\rho \to \pi^+\pi^-$ and $\omega \to \pi^+\pi^-$ (b) $\rho \to \pi^0\pi^0$ and $\omega \to \pi^0\pi^0$
- (c) $\rho \to \eta \pi^0$ and $\omega \to \eta \pi^0$
- (d) $\rho^+ \to \eta \pi^+$
- (e) $J/\psi \to \pi^0 \pi^0$ and $J/\psi \to \pi^+ \pi^-$

14

PL

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righer hadron physics Dulian Bergnann Ho.5 ann No 2 a) S -> TT + TT : charge: 0=1-1 parity: -1=(-1).1.1 = (-1)^b / l=1 ang. mom.: 101=0+0+0 7 7 7 7 7 5 5 5 J + 7 - L 150 spin: 1=1⊕1 =) permitted 12: 0=7-7 6-Parity: 7=(-7)(-7) 1505pin : 1=101 =) not allowed w=) TT + TT : G-Parity: -1 = (-1) (-1) (rest similar to s) EtP charge : 0 = 0 + 0 b) $s \rightarrow \pi^{\circ} \pi^{\circ}$ parity: -1=(-1)(-1)(-1) ang.mom.: 1@1=0+0+1 =) not allowed c-Parity: -1 \$1.1 1 (p-viol. : 1=(-1)(-1) 150 Spin : 1=1@1 -) 12:0=0+0 6-Parity: 7=(-1)(-7) (sospin: 0= 1001 =) not allowed ~ →#°T °: 6-larity: -1 \$ (-1) C-Parity: -1+1.1 charge: 0=0+0 C) S-JMTT° parity: -1=1.(-1). 1 H ang.mom.: 1@1=0+0+0 =) not allowed C-Parity: -1=1.1 ゥ (P-viol.: 1 = 7.(-1) 150 Spin: 1=100 12: 0=0+0 G-Parity: 1\$ (-1)-1 =) not allowed Isospin: 0 ≠ 1 ⊕ 0 V W-DAT : G-Priity: (-1)=(-1).1 (- Parity: -1 + 1.1)/ CP-viol. : 1+1.(-1) d) 5+-21 TT : charge : 1=0+1 Parity: -1=(-1)(-1)(-1) -015 ang. mam. : 101=0+0+1 =) not allowed 150 spin : 1=001 12: 1=0+1 G = parity: 1 = 1.(-1) V

c))/+ -) π°π°: charge: 0=0+0 parity: -7=1.1.(-1) angimom: 101=0+0+14 (- Parity: -1 = 2000 (-1) (-1) =) not allowed CP-viol .: 1= (-1) (-1) (50 Spin : 0 = 1 @ 1 : 0 = 0 + 012 G-Parity : -1 + (-1) (-1) フ/ヤーンガサガ : charge : 0=1-1 parity: -1=(1).1.1 ang. mom. : 101 = 0+0+051 =) not allowed G-Parity: -1+(-1)(-7) 150 spin : 0 = 1 @ 1 12 : 0 = 1 - 1 -1 for Paint I bieng wray several